## **Semantics & Pragmatics SoSe 2021**

Lecture 15: Discourse Representation Theory II



#### **Overview**

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Formal Definition

**Different Notations** 

**DRS Merge** 

Section 3: Accessibility

Formal Definition

Negation

Disjunction

Conditional

Quantification

Section 4: The Semantics of the DRT Language

Summary







## Historical Background

"In the early 1980s, **Discourse Representation Theory** (**DRT**) was introduced by Hans Kamp as a theoretical framework for dealing with issues in the semantics and pragmatics of anaphora and tense (Kamp 1981); a very similar theory was developed independently by Irene Heim (1982)."

Geurts & Beaver (2007), p. 1.

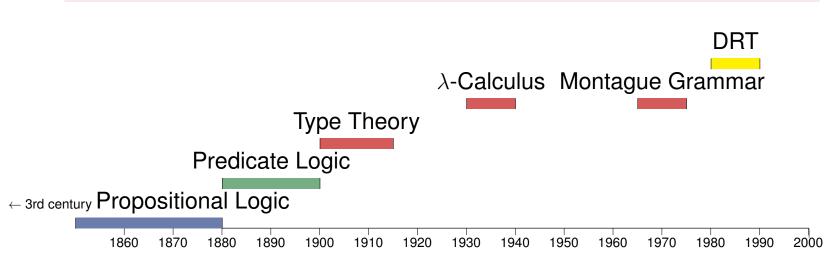
Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary





## Discourse Representation Structures

"DRT's main (and most controversial) innovation [...] is that it introduced a level of mental representations, **called discourse representation structures (DRSs)**. The basic idea [...] is that a hearer builds up a mental representation of the discourse as it unfolds, and that every incoming sentence prompts additions to that representation."

Geurts & Beaver (2007), p. 2.

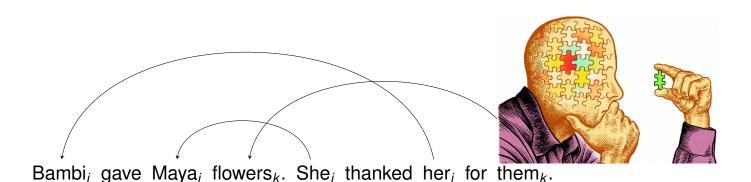
Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary





## **Anaphora Resolution**

The problem of how hearers are able to "resolve" anaphora, e.g. to know which referent (antecedent) of the discourse a pronoun (consequent) is referring back to, has received attention from both syntacticians and semanticists over the course of centuries. It has resisted straightforward explanations.

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary

References



If Bambi<sub>i</sub> gives Maya<sub>j</sub> flowers<sub>k</sub> she<sub>j</sub> will like them<sub>k</sub>.

**Note:** While anaphora resolution across sentences might be considered outside the scope of classical syntax and semantics – as these theories mostly deal with single sentences – the same problems also occur within sentences.



## Discourse Representation Structures

#### A DRS consists of **two major parts**:

- 1. a set of discourse referents,
- a set of so-called DRS-conditions which capture the information about referents that has accumulated over the discourse.
  - (1) John chased Jumbo.
    - [x, y: John(x), Jumbo(y), chased(x,y)]
  - (2) John chased a donkey.
    - [x, y: John(x), donkey(y), chased(x,y)]
  - (3) A farmer chased a donkey.

```
[x, y: farmer(x), donkey(y), chased(x,y)]
```

**Note:** The colon ':' delimits the set of discourse referents from the set of discourse conditions.

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary



#### Discourse Referents

**Discourse referents** are a concept similar to the *domain of discourse* in standard logic. However, note that there are *no constants* here, all entities are represented with variables (x, y, etc.). The variables then have to be assigned to proper names, definite noun phrases, indefinite noun phrases via discourse conditions.

- (4) John chased Jumbo.[x, y: John(x), Jumbo(y), chased(x,y)]
- (5) John chased a donkey.[x, y: John(x), donkey(y), chased(x,y)]
- (6) A farmer chased a donkey.[x, y: farmer(x), donkey(y), chased(x,y)]

#### Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary



#### **Discourse Conditions**

**Discourse Conditions** are then similar to *predicates* in standard logic (but including equations like x = y).

- (7) John chased Jumbo. [x, y: John(x), Jumbo(y), chased(x,y)]
- (8) John chased a donkey.[x, y: John(x), donkey(y), chased(x,y)]
- (9) A farmer chased a donkey.[x, y: farmer(x), donkey(y), chased(x,y)]

#### Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary



## **Merging Operation**

Beyond single sentences (or parts of sentences) discourse structures can be built also for consecutive sentences by **merging** their DRSs using the  $\oplus$ **-operator**, which is defined as their pointwise union from a set-theoretic perspective.

- (10) A farmer chased a donkey.[x, y: farmer(x), donkey(y), chased(x,y)]
- (11) He caught it.

  [v, w: caught(v, w)]

  Geurts & Beaver (2007), p. 7.

**Note:** The discourse referents of the second sentence are here underlined to indicate that they are in need of antecedents. Geurts & Beaver (2007) do not further explain according to which rules exactly the underlined discourse referents (v, w) are matched with the discourse referents in the former DRS (x, y). In English, this could be done, for instance, via grammatical gender and/or word order.

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary



## Complex DRS Conditions: Negation

The above example deals with **simple**, **i.e. non-embedded DRS conditions**. However, there are various natural language scenarios that require more **complex DRS conditions**, i.e. **embedded** DRS conditions. One such example is **negation**.

- (12) John doesn't have a donkey.[₁ x: John(x), ¬[₂ y: donkey(y), owns(x,y)]]
- (13) It is grey.[<u>z</u>: grey(z)]Geurts & Beaver (2007), p. 7-8.

**Note:** The negation here scopes over *owns a donkey*, not over *John*. This scope is reflected in the embedded DRS.

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary



## Accessibility: Informal Definition

Every DRS is **accessible** to all and only those DRSs **whose number is bigger or equal to**<sup>1</sup> its own (so every DRS is accessible to itself).

- (14)  $[x, y, \underline{v}, \underline{w}: farmer(x), donkey(y), chased(x,y), caught(v, w)]$
- (15)  $[1 \times \underline{z}: John(x), \neg[2 y: donkey(y), owns(x,y)], grey(z)]$

**Note:** The examples are repeated from above. In the first example, all variables have access to all other variables, since they are all part of the same DRS. In the second example, on the other hand, the DRS in [1...] is accessible to the DRS in [2...], but not the other way around.

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary

<sup>&</sup>lt;sup>1</sup>There seems to be an error in the formulation by Geurts & Beaver (2007), p. 13. They write "[...] every DRS is accessible to all and only those DRSs whose number *does not exceed* its own." But this seems just the inverse of how accessibility is defined and used in the rest of the paper. Also, the statement does not hold for DRSs connected by logical "or".



## Complex DRS Conditions: Conditionals

Similar to negation, **conditionals (material implication)** also gives rise to complex, i.e. embedded DRS structures.

(16) If John owns a donkey, he likes it.  $[_1:[_2 \ x, \ y: John(x), \ donkey(y), \ owns(x,y)] \rightarrow [_3 \ \underline{v}, \ \underline{w}: \ likes(v,w)]]$ 

**Note:** Geurts & Beaver (2007), p. 8 put John(x) outside of [2...]. However, it is unclear why John(x) would not belong to the antecedent of the conditional. In fact, Kamp (2016), p. 13 puts it inside [2...]. We follow Kamp (2016) here. As to accessibility: The discourse referents x and y are accessible to y and y as before in the case of the conditional.

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary



## Complex DRS Conditions: Quantification

**Quantification** also involves complex DRS conditions. Namely, a quantifier Q over a discourse referent x, i.e. Qx, connects two DRSs, i.e. DRS and DRS', such that we have DRS(Qx)DRS'. In this respect, **conditionals and quantifiers give rise to essentially the same structure**.

Geurts & Beaver (2007), p. 9.

- (17) Every farmer who owns a donkey, likes it.
- (18) If a farmer owns a donkey, he likes it.

```
[1 : [2 x,y: farmer(x), donkey(y), owns(x,y)] (\forall x) [3 v, w: likes(v,w)]]
```

 $[1 : [2 x,y: farmer(x), donkey(y), owns(x,y)] \rightarrow [3 v, w: likes(v,w)]]$ 

**Note**: It is (implicitely) assumed here that in (34) we also have a pronoun as the subject of the consequent statements (*likes it*), while it is not explicitly realized here.

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary





**Section 2: Syntax of the DRS Language** 



### Formal Definition

"DRSs are **set-theoretic objects** built from **discourse referents** [the set U] and **DRS-conditions** [the set Con]."

- (i) A DRS K is a pair  $\langle U_K, Con_K \rangle$ , where  $U_K$  is a set of discourse referents, and  $Con_K$  is a set of DRS-conditions.
- (ii) If P is an n-place predicate, and  $x_1, \ldots, x_n$  are discourse referents,<sup>2</sup> then  $P(x_1, \ldots, x_n)$  is a DRS condition.
- (iii) If x and y are discourse referents, then x=y is a DRS-condition.
- (iv) If K and K' are DRSs, then  $\neg K$ ,  $K \to K'$ , and  $K \vee K'$  are DRS-conditions.
- (v) If K and K' are DRSs and x is a discourse referent, then  $K(\forall x)K'$  is a DRS-condition.

Geurts & Beaver (2007), p. 12.

<sup>2</sup>In the actual examples, Geurts & Beaver (2007) do not use variable x with indeces but rather x, y, z, etc.

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary



## Clause (i): DRS Basic Structure

- (i) A DRS K is a pair  $\langle U_K, Con_K \rangle$ , where  $U_K$  is a set of discourse referents, and  $Con_K$  is a set of DRS-conditions.
- (19) John chased Jumbo.[x, y: John(x), Jumbo(y), chased(x,y)]
- (20) John chased a donkey.
  [x, y: John(x), donkey(y), chased(x,y)]
- (21) A farmer chased a donkey.[x, y: farmer(x), donkey(y), chased(x,y)]
- (22) John doesn't have a donkey.  $[1 \times John(x), \neg [2 y: donkey(y), owns(x,y)]]$

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary



## Clause (ii): Simple Conditions

- (ii) If P is an n-place predicate, and  $x_1, \ldots, x_n$  are discourse referents, then  $P(x_1, \ldots, x_n)$  is a DRS condition.
- (23) John chased the donkey.

[x, y: John(x), donkey(y), chased(x,y)]

(24) John chased a donkey.

[x, y: John(x), donkey(y), chased(x,y)]

(25) He caught it.

 $[\underline{v}, \underline{w}: caught(v, w)]$ 

**Note:** In the DRT framework as outlined here by Geurts & Beaver (2007) – in contrast to standard logic – proper names (John), indefinite noun phrases (a donkey), and verbs (chased, caught) are all considered n-place predicates. John(x), for instance, would translate as "x is a John". However, in Kamp et al. (1995: 145-146) a distinction is drawn between names (N) and predicate constants (P).

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary



## Clause (iii): Variable Mapping

- (iii) If x and y are discourse referents, then x=y is a DRS-condition.
- (26) A farmer chased a donkey. He caught it. [x, y, v, w: v=x, w=y, farmer(x), donkey(y), chased(x,y), caught(v, w)]
- (27) If John owns a donkey, he likes it.  $[_1: [_2 \ x, \ y, \ v, \ w: \ v=x, \ w=y, \ John(x), \ donkey(y), \ owns(x,y)] \rightarrow [_3: likes(v,w)]]$

**Note:** It should be noted again that the syntactic definition here is silent about how exactly to equate two variables if there are different options as in the examples above.

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary



## Clause (iv): Complex Conditions

- (iv) If K and K' are DRSs, then  $\neg K$ ,  $K \to K'$ , and  $K \lor K'$  are DRS-conditions.
- (28) John doesn't own a donkey. [1 x: John(x),  $\neg$ [2 y: donkey(y), owns(x,y)]]
- (29) If John owns a donkey, he likes it.  $[_1:[_2 \ x, \ y: John(x), \ donkey(y), \ owns(x,y)] \rightarrow [_3: likes(x,y)]]$
- (30) John owns a donkey or a horse. [1 x: John(x), [2 y: donkey(y), owns(x,y)]  $\vee$  [3 y: horse(y), owns(x,y)]]

**Note:** In the last example involving disjunction, we follow Simons (1996), p. 251, who argues to deal with disjunction by assuming *just one entity y* which is either a donkey or a horse. Also, *John(x)* here has to be *outside* of the two DRSs connected by disjunction.

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary



## Clause (v): Quantification

- (v) If K and K' are DRSs and x is a discourse referent, then  $K(\forall x)K'$  is a DRS-condition.
  - (31) Every farmer who owns a donkey, likes it.  $[1 : [2 x, y: farmer(x), donkey(y), owns(x,y)] (\forall x) [3 : likes(x,y)]]$
  - (32) Some farmer who owns a donkey, likes it.  $[1 : [2 x, y: farmer(x), donkey(y), owns(x,y)] (\exists x) [3 : likes(x,y)]]$

**Note:** While in clause (v) Geurts & Beaver (2007) only define the case of the universal quantifier, at another point they state: "[...] a condition of the form K(Qx)K', where Q may be any quantifier [...]", which suggests that the same definition holds for the existential quantifier.

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary



#### Different DRS Notations

There are (at least) three **different notations** that might be used in DRT frameworks. While Geurts & Beaver (2007) use the so-called **linear notation** (which we are also following), Kamp et al. (1995) use the so-called **box notation**. However, the notation which is closest to the actual mathematical formalization of DRT is the **set-theoretic notation** (called "Official DRS" below).

Official DRS:  $\langle \{\}, \langle \{x, y\}, \{farmer(x), donkey(y), owns(x,y)\} \rangle \Rightarrow \langle \{\}, \{x, y\}, \{x$ 

 $\{beats(x,y)\} > \} >$ 

Linear notation:  $[:[x, y: farmer(x), donkey(y), owns(x,y)] \Rightarrow [:beats(x,y)]]$ 

beats(x,y)

Box notation: | x y | farmer(x) |

donkey(y)
owns(x,y)

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary

References

Geurts & Beaver (2007), p. 12.



## Merging of DRSs

Given the set-theoretic definition of DRSs, **merging** of two (or more) DRSs (here K and K') is defined as their **pointwise union**  $(\oplus)$  such that we have

$$K \oplus K' = \langle U_K \cup U_{K'}, Con_K \cup Con_{K'} \rangle. \tag{1}$$

(33) A farmer chased a donkey. He caught it.

[x, y: farmer(x), donkey(y), chased(x,y)]  $\oplus$  [v, w: caught(v, w)] = [x, y, v, w: farmer(x), donkey(y), chased(x,y), caught(v,w)]; such that

$$U_K \cup U_{K'} = \{x, y, \underline{v}, \underline{w}\}\$$
  
 $Con_K \cup Con_{K'} = \{farmer(x), donkey(y), chased(x,y), caught(v,w)\}\$ 

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary



## Merging of DRSs

The way merging is defined in DRT it follows that there is "no principled distinction between (clausal) conjunction and sentence concatenation." Therefore, in the syntax of the DRT language, we do not need a definition involving logical "and" ( $\land$ ).

Geurts & Beaver (2007), p. 12.

- (34) A farmer chased a donkey. He caught it.
- (35) A farmer chased a donkey **and** he caught it.

Both natural language sentences are equally represented by the DRSs repeated from above:

(36) [x, y: farmer(x), donkey(y), chased(x,y)]  $\oplus$  [v, w: caught(v, w)] = [x, y, v, w: farmer(x), donkey(y), chased(x,y), caught(v,w)]

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary





**Section 3: Accessibility** 



## Accessibility: Formal Definition

"Accessibility is a relation between DRSs that is **transitive**<sup>3</sup> and **reflexive**, i.e. it is a preorder. More in particular, it is the smallest preorder for which the following holds, for all DRSs K, K', and K'': if  $Con_K$  contains a condition of the form ...

- $ightharpoonup \neg K'$ , then K is accessible to K',
- $ightharpoonup K' \lor K''$ , then K is accessible to K' and K'',5
- ▶  $K' \rightarrow K''$ , then K is accessible to K' and K' is accessible to K'',
- ▶  $K'(\forall x)K''$ , then K is accessible to K' and K' is accessible to K''."

Geurts & Beaver (2007), p. 13.

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary

<sup>&</sup>lt;sup>3</sup>If a DRS K is accessible to K', and K' is accessible to K'', then K is also accessible to K'', but not the other way around.

<sup>&</sup>lt;sup>4</sup>Every DRS is accessible to itself.

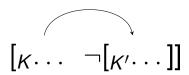
<sup>&</sup>lt;sup>5</sup>But note that in this particular case of logical "or", K' is not accessible to K''.



## Accessibility: Negation

If  $Con_K$  contains a condition  $\neg K'$ , then K is accessible to K'.

#### **Schematic Representation**



Note: The direction of the arrow gives the direction of accessibility, such that K is accessible to K', and variables in K can be used to resolve variables in K'. We can also use numbers here, i.e. 1 and 2, to mark DRSs rather than K, and K', and thus get  $[1 \dots \neg [2 \dots]]$ .

#### **Examples**

- (37) John does **not** own a donkey. It is grey.  $[1 \times \underline{z}: John(x), \neg[2 y: donkey(y), owns(x,y)], grey(z)]$
- (38) John does own a donkey. It is **not** grey.  $[1 x, y, \underline{z}: John(x), donkey(y), owns(x,y), \neg[2 : grey(z)]]$

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

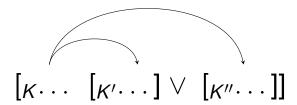
Summary



## Accessibility: Disjunction

If  $Con_K$  contains a condition  $K' \vee K''$ , then K is accessible to K' and K''.

#### **Schematic Representation**



Note: In this particular case of logical "or", K' is not accessible to K''.

#### **Examples**

(39) John owns a donkey or he is unhappy.  $[1 \times v: v=x, John(x), [2 y: donkey(y), owns(x,y)] \vee [3 : unhappy(v)]]$ 

**Note:** This natural language construction can only be captured correctly in the DRSs since John(x) is in [1...] rather than [2...] and hence x is accessible to v. If x was in [2...] it wouldn't be accessible to v.

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

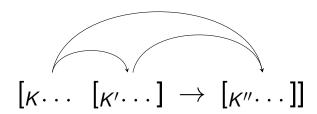
Summary



## Accessibility: Conditional

If  $Con_K$  contains a condition  $K' \to K''$ , then K' is accessible to K' and K' is accessible to K''.

### **Schematic Representation**



Note: By transitivity K is also accessible to K''.

#### **Example**

(40) If John owns a donkey, he likes it.  $[_1:[_2\ x,\ y,\ v,\ w:\ v=x,\ w=y,\ John(x),\ donkey(y),\ owns(x,y)]\rightarrow[_3:\ likes(v,w)]]$ 

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

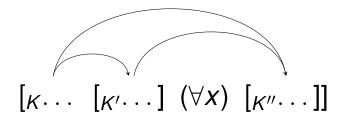
Summary



## Accessibility: Quantification

If  $Con_K$  contains a condition  $K'(\forall x)K''$ , then K is accessible to K' and K' is accessible to K''.

### **Schematic Representation**



Note: By transitivity K is also accessible to K''.

#### **Example**

(41) Every farmer who owns a donkey, likes it.  $[1 : [2 x, y, v: v=y, farmer(x), donkey(y), owns(x,y)] (\forall x) [3 : likes(x,v)]]$ 

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary







## Semantics of the DRT Language: Model M

"As usual, a **model M** is a pair  $\langle D, I \rangle$ , where D is a set of individuals, and I is an interpretation function that assigns sets of individuals to one-place predicates, sets of pairs to two-place predicates, and so on." Geurts & Beaver (2007), p. 14.

Remember from Lecture on Standard Predicate Logic:

#### Model M

$$\begin{split} D &= \{e_1, e_2, e_3\} \\ I &= \{\langle j, e_1 \rangle, \langle p, e_2 \rangle, \langle m, e_3 \rangle, \langle \mathcal{S}, \{\langle \textit{I}(j), \textit{I}(m) \rangle, \langle \textit{I}(p), \textit{I}(m) \rangle\} \rangle \} \\ I(\mathcal{S}) &= \{\langle \textit{I}(j), \textit{I}(m) \rangle, \langle \textit{I}(p), \textit{I}(m) \rangle \} \end{split}$$

Translation key: j: John; p: Peter; m: morning star; Sxy: x likes y.

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary



## Semantics: Embedding Function

"The truth-conditional semantics of the DRS language is given by defining when an **embedding function verifies a DRS** in a given model."

Geurts & Beaver (2007), p. 14.

#### Valuation function $V_M$ in Standard Predicate Logic

- ▶ If  $V_M(\phi) = 1$ , then  $\phi$  is said to be true in model M.
- ▶ If  $Aa_1, ..., a_n$  is an atomic sentence in L, then  $V_M(Aa_1, ..., a_n) = 1$  if and only if  $\langle I(a_1), ..., I(a_n) \rangle \in I(A)$ .
- etc.

#### **Embedding function** *f* **in DRT**

- f verifies a DRS K iff f verifies all conditions  $Con_K$ .
- f verifies  $P(x_1, \ldots, x_n)$  iff  $\langle f(x_1), \ldots, f(x_n) \rangle \in I(P)$ .
- etc.

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary





# Faculty of Philosophy General Linguistics

**Summary** 



## **Summary**

- ► The formal definition of **DRT syntax** consists of a set of clauses which specify the internal structure of a discourse representation structure (DRS), as well as the structure of possible DRS conditions.
- Two further important formal concepts are the merging of DRSs, and accessibility relations between DRSs, which are important for modelling anaphora resolution.
- ► The semantics of DRT is modelled in parallel to the model-theoretic truth-value evaluations of standard predicate logic.

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

#### Summary





#### References

Geurts, Bart, & David Beaver (2007). Discourse Representation Theory. In: *The Stanford Encyclopedia of Philosophy*, ed. Edward N.Zalta. CSLI, Stanford University. Online at https://plato.stanford.edu/entries/discourse-representation-theory/.

Kamp, Hans (2016). *Semantics I, From Montague Grammar to DRT*. Lecture at the University of Stuttgart. online at https://www.ims.uni-stuttgart.de/archiv/kamp/files/2016.kamp.semanticsl.montague.drt.pdf.

Kamp, Hans, Genabith, Josef van, & Reyle, Uwe (1995). Discourse Representation Theory. In: Gabbay, D.M., & Guethner, F. (Eds). *Handbook of Philosophical Logic*. 2nd Edition, Volume 15. Heidelberg: Springer.

Simons, Mandy (1996). Disjunction and anaphora. In: Galloway, Teresa & Spence, Justin (Eds.) *SALT VI*. Ithaca, NY: Cornell University, p. 245-260.

Section 1: Recap of Lecture 14

Section 2: Syntax of the DRS Language

Section 3: Accessibility

Section 4: The Semantics of the DRT Language

Summary



# Thank You.

Contact:

#### **Faculty of Philosophy**

**General Linguistics** 

Dr. Christian Bentz

SFS Wihlemstraße 19-23, Room 1.24

chris@christianbentz.de

Office hours:

During term: Wednesdays 10-11am

Out of term: arrange via e-mail